Rounding the Corners of the Trilemma: A Simple Framework

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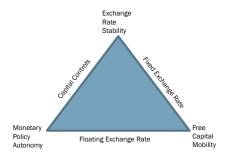


Figure: Mundell's trilemma

• In the real world, many countries float and at the same time use capital controls or FXI

• what Klein and Shambaugh (2015) call "rounding the corners of the trilemma"

- Capital flow management (CFM) endorsed by the IMF after the global financial crisis
 - John Williamson, The Management of Capital Inflows (1995); Curbing the Boom-Bust Cycle (2005)
 - CFM mostly understood as capital controls

- The IMF is developing an "integrated policy framework" (IPF) to analyze how EMEs should use the policy instruments at their disposal (Gopinath, 2019; Basu et al, 2020; Adrian et al, 2020)
 - integrates a wide range of policy instruments
- Rey (2013) argued that exchange rate flexibility brings little gains in terms of insulation from the GFC and countries should use capital controls

- I present a simple micro-founded macroeconomic model to understand why one might want to "round the corners"
- A range of normative models with various frictions have been proposed
 - financial frictions: Bianchi (2011), Jeanne and Korinek (2010), Korinek (2008), Benigno et al (2016)
 - nominal frictions: Farhi and Werning (2014), Alla, Espinoza and Ghosh (2016), Liu and Spiegel (2015)
 - both frictions: Basu et al (2020), Coulibaly (2020), Aoki, Benigno and Kiyotaki (2018), Gourinchas (2017)
- My model has nominal frictions only
- I will use the model as a vehicle for a tour of the literature

Roadmap

- Model
- e Fixing vs. floating
- Optical flow management
- Instruments

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- Small open economy with tradable and non-tradable sectors
- Infinite time but we will focus on periods 1 and 2
 - steady state from t = 2 onwards
- Fixed nominal wage
- No "divine coincidence"
 - tradeoff between stabilizing the tradable sector and stabilizing the nontradable sector

Preferences

$$\mathbb{E}_{1}\sum_{t=1}^{+\infty}\beta^{t-1}\left[u_{N}\left(C_{Nt}\right)-v_{N}\left(L_{Nt}\right)+u_{T}\left(C_{Tt}-v_{T}\left(L_{Tt}\right)+\zeta\right)\right]$$

Preferences are GHH for the tradable sector

- Production: $Y_{Nt} = f_N(L_{Nt})$ and $Y_{Tt} = f_T(L_{Tt})$
- Nominal wage stickiness

$$W_{Nt} = \overline{W}_N$$
, $W_{Tt} = \overline{W}_T$, $\forall t \geq 1$

• Home residents can trade bonds denominated in foreign currency (dollar) and home currency (peso)

Natural allocation

• First-order conditions of social planner problem

$$u'_{N}(f_{N}(L_{N}))f'_{N}(L_{N}) = v'_{N}(L_{N}) f'_{T}(L_{T}) = v'_{T}(L_{T})$$

The natural levels of employment and output are constant in both sectors, $Y_{\mathcal{N}}^n$ and $Y_{\mathcal{T}}^n$

• Profit maximizing condition for firms in the N sector, $f'(L_N) = \overline{W}_N / P_{Nt}$, implies constant P_{Nt} ; Euler equation $u'(C_{Nt}) = \beta (1 + i_t) u'(C_{Nt+1})$ and $C_{Nt} = Y_{Nt}$ then imply

$$i_t = r$$

where $r = 1/\beta - 1$

• Natural allocation in the nontradable sector requires a constant peso interest rate

Natural allocation (cont'ed)

- The peso price of the tradable good is equal to the peso-per-dollar exchange rate, ${\it E}_t$
- Profit maximization in the T sector implies $f'(L_{Tt}) = \overline{W}_T / E_t$

$$E^n = \frac{\overline{W}_T}{f'(L_T^n)}$$

- The natural allocation in the tradable sector requires a constant exchange rate
- Achieving the natural allocation in both sectors is not going to be consistent with international financial integration

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Specification

$$u_{N}(C) = u_{T}(C) = \frac{C^{1-\sigma} - 1}{1 - \sigma}$$
$$v_{N}(L) = \frac{L^{1+\psi}}{1 + \psi}, v_{T}(L) = \nu \frac{L^{1+\psi}}{1 + \psi}$$
$$f_{N}(L) = f_{T}(L) = L^{1-\alpha}$$

with $\sigma=$ 2, $\psi=$ 3, $\alpha=$ 0.3, $\nu=1$

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- We assume free capital mobility
- What is the optimal monetary/exchange rate policy?
- How does it adjust to changes in the dollar interest rate?

• Under financial integration the home policymaker minimizes the loss

 $\min \omega_N y_N^2 + \omega_T y_T^2$

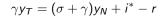
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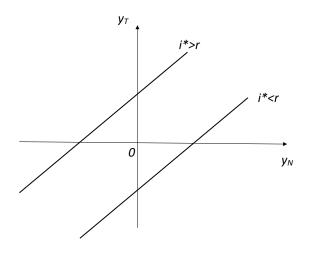
$$y_N = -\frac{1}{\sigma + \gamma} (i - r)$$
$$y_T = \frac{e}{\gamma}$$
$$i + e = i^*$$

where y_N and y_T are the output gaps and $\gamma = lpha/(1-lpha)$

 The loss can be set to zero if i^{*} = r but if i^{*} ≠ r the home policymaker must trade off the output gaps in the two sectors

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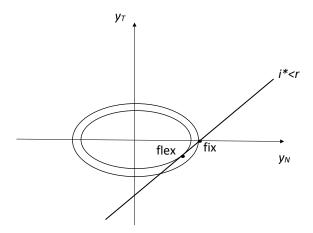


Figure: Optimal policy

The loss is smaller under floating than under fixing, but it is not zero

- Floating gives autonomy: the peso interest rate moves in the same direction as the dollar interest rate, but less than one for one
- Mostly consistent with the empirical literature: with floating *i* responds to *i**, but less than with a fixed regime
 - Klein and Shambaugh (2015), Obstfeld (2015), Obstfeld, Ostry, and Qureshi (2019)
 - Aizenman, Chin and Ito (2010) find evidence consistent with the trilemma
- At the same time, monetary autonomy does not mean monetary insulation
 - the SOE can complain about US monetary policy if i^{*} ≠ r, because it leads to domestic imbalances that cannot be fully resolved even under floating

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Divine coincidence

- My model relies on the fact that there is one instrument for two sectoral output gaps
 - so no divine coincidence
- One can deviate from divine coincidence in many ways: sticky wages and prices (Erceg et al, 2009), terms of trade manipulation (Farhi and Werning, 2014), financial frictions (Coulibaly, 2020; Aoki et al, 2018), etc.
- My model is somewhere on the simplicity/realism efficiency frontier
 - Benigno, Converse and Fornaro (2015) find that episodes of large capital inflows are associated with (i) a currency appreciation; (ii) an economic boom; (iii) a reallocation of labor from the tradable sector to the nontradable sector
 - resonates with tradeoff described by policymakers (e.g. Brazil in 2009)

- We first look at the problem of a social planner who sets the volume of capital inflows
 - what is the difference with laissez-faire?
- We then discuss the policy instruments for implementation

- Assume that the home policymaker can set capital inflows kY_T^n in period 1
- Policymaker's problem

$$\min \omega_N y_N^2 + \omega_T y_T^2$$

subject to

$$y_N = -\frac{1}{\sigma + \gamma} (i - r)$$
$$y_T = \frac{e}{\gamma}$$
$$i + e = r - \sigma k$$

- Capital inflows (k > 0) are associated with appreciation pressure (e < 0) and capital outflows (k < 0) with depreciation pressure (e > 0)
- The loss can be set to zero only if k = 0

• Welfare of individual j

$$U_j = V(k_j, i^*) - rac{\omega_{reg}k^2}{2}$$

where $V(k_j, i^*)$ captures the welfare impact of the individual's own k_j and reg = fix or *flex* is the exchange rate regime

- Under laissez-faire, private agents maximize $V(k_j, i^*)$, making capital flows responsive to external financial conditions (i^*)
- They do not internalize the impact of capital flows on macroeconomic stabilization
- The social planner wants to stabilize capital flows relative to the laissez-faire level

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• Welfare of individual j

$$U_{1j} = V(k_j, i^*) - \frac{\omega_{reg} k^2}{2}$$

• The macro cost of capital flow volatility is lower under floating than under fixing, but it is not zero under floating

$$0 < \omega_{\mathit{flex}} < \omega_{\mathit{fix}}$$

- There is a larger need for capital flow management under fixing than under floating
- But there is a need for capital flow management under both regimes
- Rey argues that ω_{flex} is not that much lower than ω_{fix}
- The empirical evidence is mixed
 - floating offers a degree of instrument independence
 - the evidence is less clear for the outcomes (Rose, 2011)

Instruments

- The macroeconomic tradeoff is improved if one manages to disconnect the nominal interest rate from the exchange rate
- So it makes sense to focus on the wedges in UIP

$$i + e = i^* + \tau + \rho$$

where τ is a tax on capital flows and ρ is a premium

 $\bullet\,$ The home policymaker can attempt to smooth ρ with foreign exchange interventions

Instruments

Optimal tax on capital flows

- A tax on capital flows is not free because it distorts private consumption/saving allocations
- The home policymaker problem is to minimize the loss

$$\min \omega_N y_{N1}^2 + \omega_T y_{T1}^2 + \omega_\tau \tau^2$$

subject to

$$y_{N1} = -\frac{1}{\sigma + \gamma} (i_1 - r)$$
$$y_{T1} = \frac{e_1}{\gamma}$$
$$i_1 + e_1 = i_1^* + \tau$$

- The optimal tax is countercyclical (it partially offsets changes in i^*)
- The peso interest rate and exchange rate respond less to *i** than under free capital mobility

- Taxes on capital flows are more popular in theory than in practice
 - stigma
 - gates vs. walls (Klein and Shambaugh, 2015); circumvention (Garcia and Chamon, 2016); little evidence that capital controls are used countercyclically (Fernandez, Rebucci and Uribe, 2015)
- Foreign exchange interventions are more popular in practice than in theory
 - less stigma or circumvention
 - evidence more positive than for capital controls (Adler, Blanchard and Carvalho Filho, 2015)

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Instruments

• Foreign exchange interventions in my model: assume that the capital account is closed except for trade in peso bonds between the government and foreign investors who ask a time-varying quantity elastic premium

$$i + e = i^* + \theta \rho(B)$$

where θ captures the "risk aversion" of foreign investors and B is the government's supply of peso bonds to foreign investors

- Then the optimal policy is to vary the supply of B so as to keep i^{*} + θρ(B) equal to r
- The theoretical literature on reserves interventions need financial frictions for the interventions to work (Chang, 2017; Fanelli and Straub, 2021; Cavallino, 2020)
- We understand at an abstract level why capital flow management policies may be welfare improving but this has not been translated this into precise rules for policymaking
 - "instrument frictions"

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Conclusions

- I have focused on the macroeconomic aspects of capital flow management
- Things that I have not discussed: large financial risks (rollover crises, default, etc.), ex-ante vs. export interventions,

THANK YOU!